

Name: \_\_\_\_\_ Hr: \_\_\_\_\_

## Honors Geometry –Final Exam Review

- **GET ORGANIZED.** Successful studying begins with being organized. Bring this packet with you to class every day.
- **DO NOT FALL BEHIND.** Do the problems that are assigned every night and come to class prepared to ask about the things you could not do.
- **GET SERIOUS.** The grade you earn on this exam is worth **20% of your semester grade.**
- **MAKE NOTES AS YOU WORK.** As you do these problems, you will come across formulas, definitions, problems, and graphs that you will want to put on your notecard.
- **NOTECARD:** Your notecard must be in your own writing. You may put on it anything you think will help you on the exam. You may use the front and back. You will turn it in with your exam.
- There is nothing on the exam that you have not studied this year.
- You will turn in your review packet **before** you take your midterm.
- This packet is worth a **HUGE homework grade.** This grade is based on:
  - ✓ **Completion.** I will check each day to make sure that day's work is done.
  - ✓ **Correctness.** I will check random problems to make sure they are correct, or that you made corrections as needed.
  - ✓ **Participation.** I will keep track of people who ask questions, answer questions or put problems on the board.

### Final Exam Review Assignments

Problems	Due Date	<input checked="" type="checkbox"/>

**\* Regardless of absences, the Exam Review Assignments are DUE on the specified due date!**

Exam: \_\_\_\_\_

**Semester 2 Exam Review**  
**Honors Geometry**

**Name:** \_\_\_\_\_

**Hour:** \_\_\_\_\_

**Show all work (on a separate sheet if necessary), putting the answers in the blanks. Some diagrams are not to scale.**

***Find the value of each trigonometric function exactly without a calculator.***

1.  $\cos 1050^\circ =$  \_\_\_\_\_ 2.  $\tan (-240^\circ) =$  \_\_\_\_\_ 3.  $\sin (-630^\circ) =$  \_\_\_\_\_

4.  $\tan 225^\circ =$  \_\_\_\_\_ 5.  $\cos 495^\circ =$  \_\_\_\_\_ 6.  $\tan 450^\circ =$  \_\_\_\_\_

7.  $\sin (-420^\circ) =$  \_\_\_\_\_

***Find  $x$  for  $0^\circ \leq x \leq 360^\circ$  exactly without a calculator.***

8.  $\sin x = \frac{1}{2}$   $x =$  \_\_\_\_\_

9.  $\cos x = \frac{-\sqrt{2}}{2}$   $x =$  \_\_\_\_\_

10.  $\tan x = 0$   $x =$  \_\_\_\_\_

11.  $\cos x = \frac{-\sqrt{3}}{2}$   $x =$  \_\_\_\_\_

***Solve each. Angles should be rounded to the nearest degree, while lengths should be approximated to the nearest tenth.***

12. What angle of depression is a blimp 2000' off the ground 2 miles from the touchdown point? A diagram will help.

12. \_\_\_\_\_

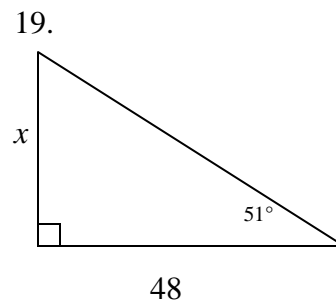
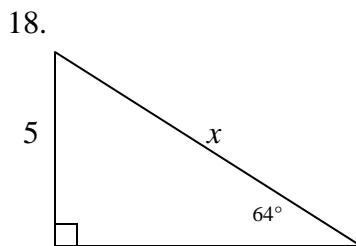
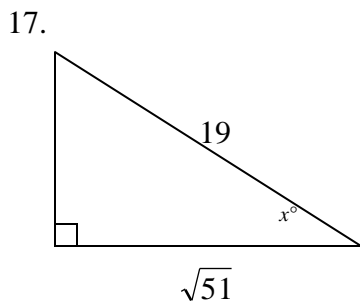
13. How far east of its original position is a submarine traveling at a bearing of  $68^\circ$  for 55 nautical miles?

13. \_\_\_\_\_

14. Find the angles of an isosceles trapezoid with bases 9 and 19, and a perimeter of 41. 14. \_\_\_\_\_

15. Find the length of the diagonals of a rhombus with an angle of  $160^\circ$  and perimeter of 36. 15. \_\_\_\_\_

16. ABCDEFGHIJKL is a regular dodecagon with sides 16.2. Find the DF. 16. \_\_\_\_\_



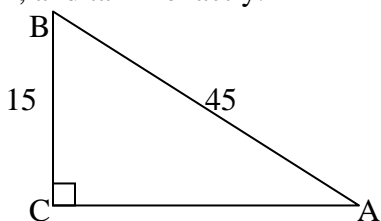
17. \_\_\_\_\_

18. \_\_\_\_\_

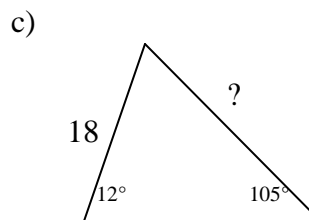
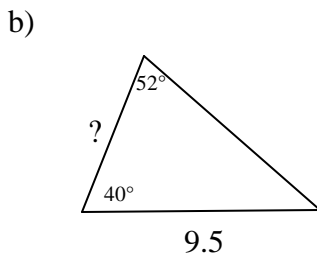
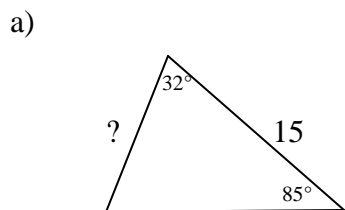
19. \_\_\_\_\_

20. Find the exact value of the  $\sin \Theta$  if  $\cos \Theta = \frac{7}{25}$  20. \_\_\_\_\_

21. Find  $\sin B$ ,  $\cos B$ , and  $\tan B$  exactly. 21. \_\_\_\_\_



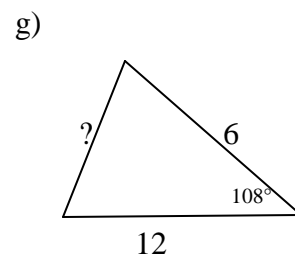
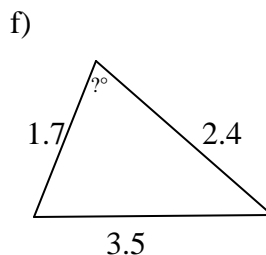
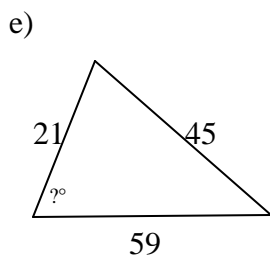
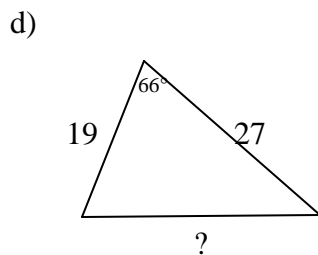
22. Find the missing angle or missing side of each triangle. Note: diagrams are not to scale.



a) \_\_\_\_\_

b) \_\_\_\_\_

c) \_\_\_\_\_



d) \_\_\_\_\_

e) \_\_\_\_\_

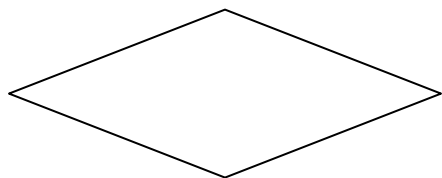
f) \_\_\_\_\_

g) \_\_\_\_\_

**Find the areas of the figures below. Exact areas should be given unless approximations are necessary—then round to the nearest tenth.**

23. A rhombus with a  $120^\circ$  angle and a perimeter 64 meters.

23. \_\_\_\_\_



24. A regular decagon with side  $15''$ . (appx.)

24. \_\_\_\_\_

25. A regular nonagon with radius of 8. (appx.)

25. \_\_\_\_\_

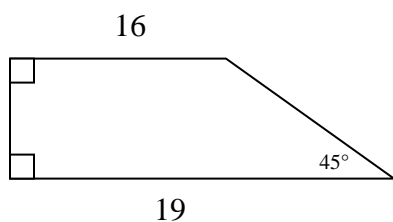
26. An isosceles trapezoid with sides 32, 13, 8, and 13.

26. \_\_\_\_\_



27. The shape below

27. \_\_\_\_\_



28. An isosceles triangle with base 36 and perimeter 84

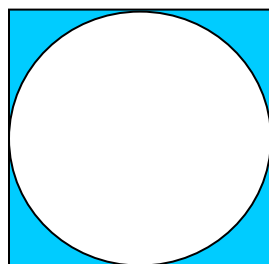
28. \_\_\_\_\_

29. An equilateral triangle with perimeter 42 cm.

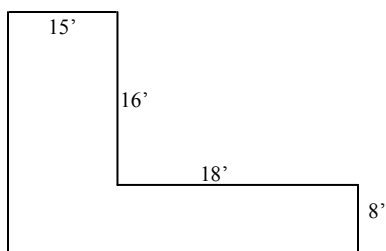
29. \_\_\_\_\_

30. The shaded region created by inscribing a circle in a square with side 14.

30. \_\_\_\_\_

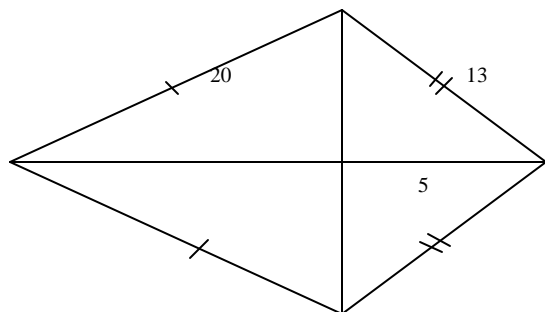


31. For the L-shaped driveway below. (All angles are right)



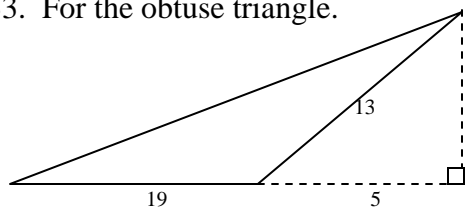
31. \_\_\_\_\_

32. For the kite below.



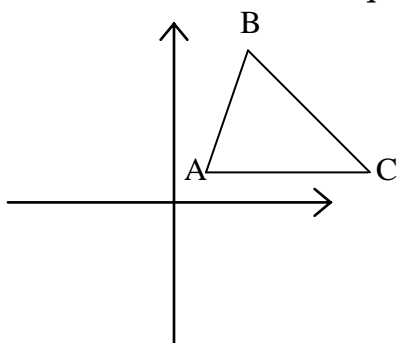
32. \_\_\_\_\_

33. For the obtuse triangle.



33. \_\_\_\_\_

Use the picture below to answer the questions 34 and 35. A(2, 1) B(3, 5) and C(7, 1)



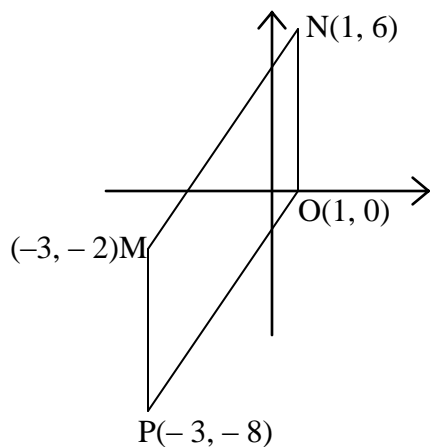
34. Find the equation of a line a) parallel to  $\overline{BC}$  through A and b) that is the altitude from A to  $\overline{BC}$ .

34a) \_\_\_\_\_ b) \_\_\_\_\_

35. Find a) AB and b) BC

35a) \_\_\_\_\_ b) \_\_\_\_\_

Use the picture for problems 36-38.



36. Classify quadrilateral MNOP by using slopes, distances or midpoints. 36. \_\_\_\_\_

37. Find PN. 37. \_\_\_\_\_

38. If  $\overline{PQ}$  is a segment with midpoint O, then determine the coordinates of Q. 38. \_\_\_\_\_

39. What is the equation of a circle whose diameter has endpoints (6, -4) and (-8, -2)?  
39. \_\_\_\_\_

40. Put the circle in standard form. State the center and radius. 40a) \_\_\_\_\_

a)  $x^2 + y^2 - 16x + 5y + 7 = 0$       b)  $x^2 + y^2 + 24x - 10y = 0$       40b) \_\_\_\_\_

41. Write the equation of a line through  $(-3, -5)$  and  $(1, 3)$

41. \_\_\_\_\_

42. *Find the  $x$  and  $y$ -intercepts for the each line.*

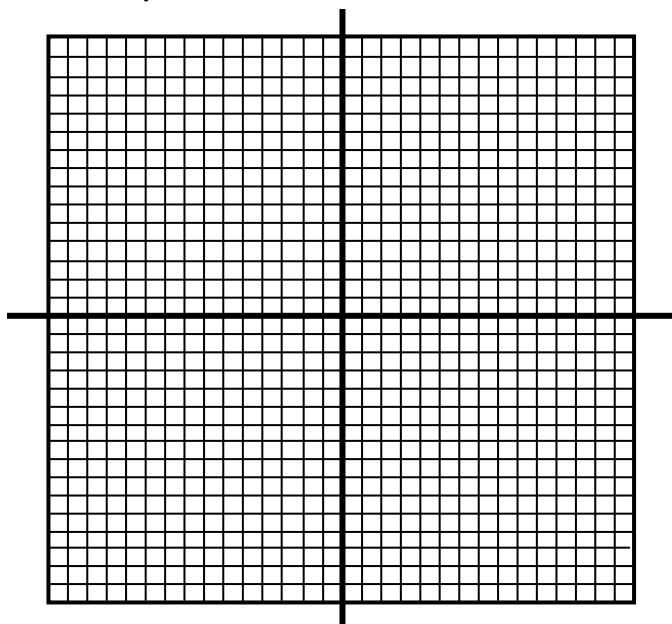
a)  $5x + 2y = -30$

42a) \_\_\_\_\_ b) \_\_\_\_\_

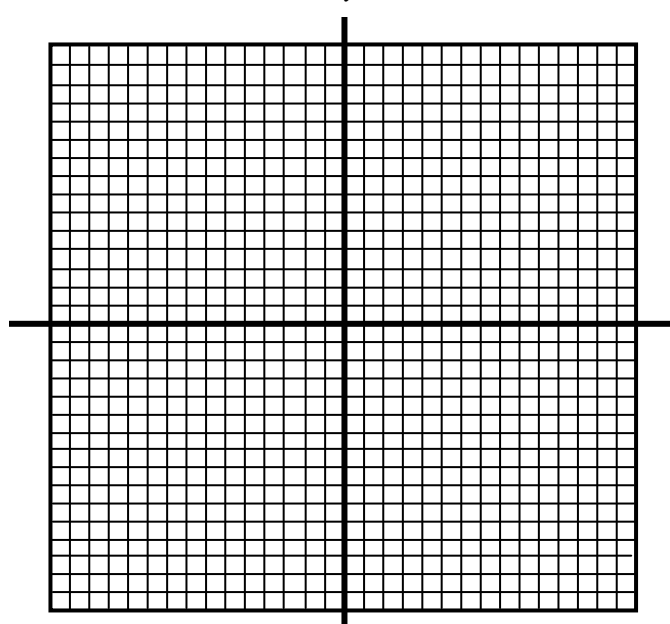
b)  $3x - 8y = 36$

43. *Graph each system of linear inequalities on the axes provided.*

a)  $x \geq 0$   
 $y \geq 0$   
 $x + y \leq 15$



b)  $x \geq -3$   
 $y \leq 8$   
 $2x - 5y \leq 20$



44. Two similar quadrilaterals have corresponding sides 9 and 12. If the smaller quadrilateral has area 48, then what is the area of the larger quadrilateral?

44. \_\_\_\_\_

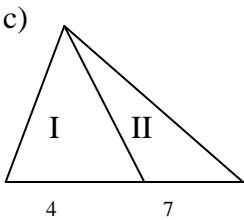
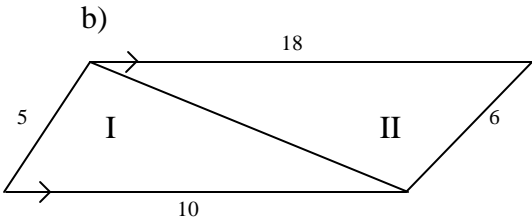
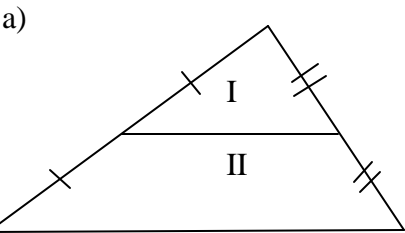
45. A triangle's base and height are increased by 35% and 40%, respectively. What is the % increase in their area?

45. \_\_\_\_\_

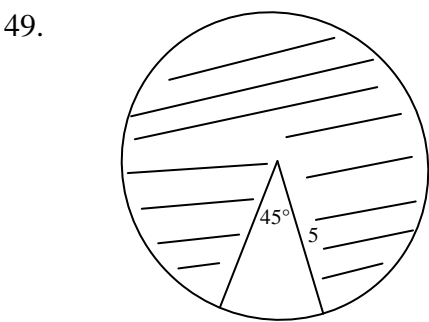
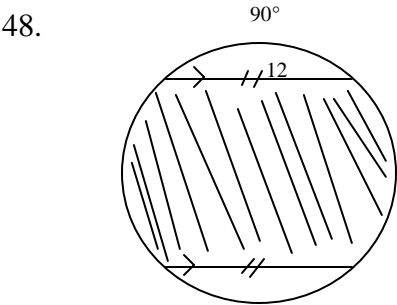
46. A rectangle’s length is increased by 32% but the width is decreased by 32%. What is the % change in the area?

46. \_\_\_\_\_

47. *Find the ratio of areas.* That is what is  $A_I:A_{II}$ ?      47a) \_\_\_\_\_ b) \_\_\_\_\_ c) \_\_\_\_\_

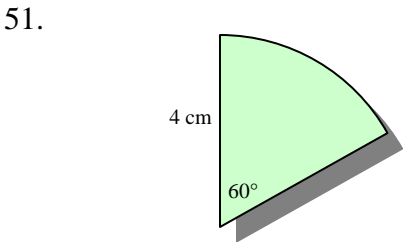
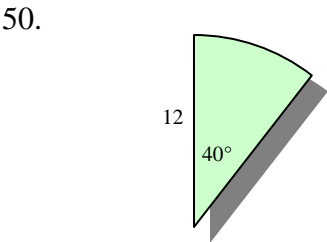


*Find the area of the shaded region.*



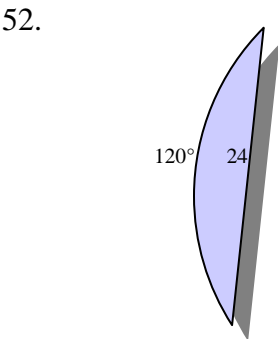
48. \_\_\_\_\_

49. \_\_\_\_\_



50. \_\_\_\_\_

51. \_\_\_\_\_

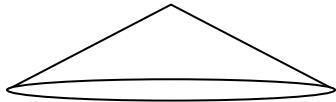


52. \_\_\_\_\_

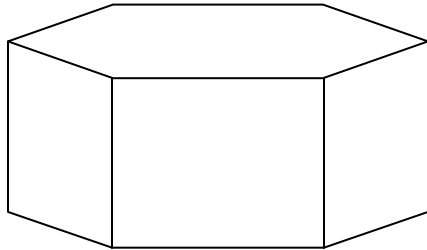


**Find the Lateral Area (LA), Total Area (TA) and Volume (V) of the following solids.**

53. A cone with radius 6 and height of 4.    53. LA =                      TA =                      V =

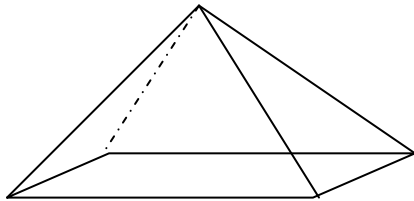


54. A regular hexagonal prism with base edge 6' and height 8'.



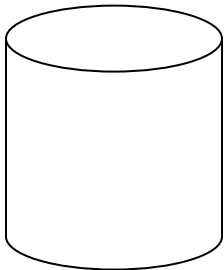
54. LA =                      TA =                      V =

55. Square pyramid with base edge 12 cm and slant height 10 cm.



55. LA =                      TA =                      V =

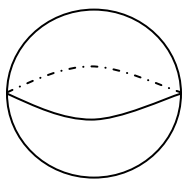
56. A cylinder with diameter 9" and height of 12".



56. LA =                      TA =                      V =

57. Find the volume of a sphere with an area of  $196\pi$ .

57. \_\_\_\_\_



58. If a steel cone with radius 6 and height 30 were melted down and recast as a cylinder with radius of 2, what would be the cylinder's height?

58. \_\_\_\_\_

59. A right prism whose base is a quadrilateral with sides 4, 5, 6, and 8 has a lateral area of 460. What is the prism's height?

59. \_\_\_\_\_

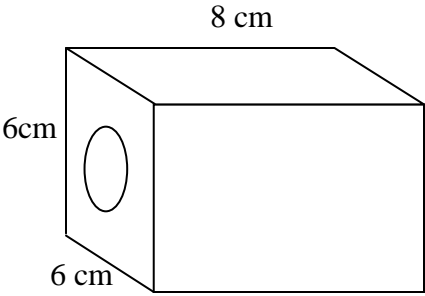
60. A cube has a base edge 1.75 times that of another cube. What is the ratio of their total areas? volumes?

60. \_\_\_\_\_

61. A rectangular solid’s length is increased by 30%, its width increased by 40%, but its height is decreased by 50%. What is the change in the solid’s volume?

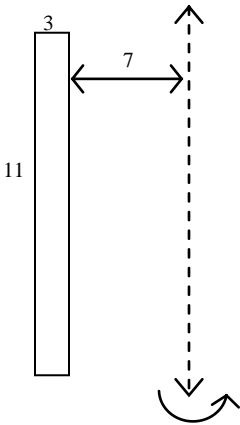
61. \_\_\_\_\_

62. A composite plastic piece is in the shape of a rectangular solid with a cylindrical hole. What is the total area (both inside and outside) and volume of the piece? The hole is in the center of the base one centimeter from the edge.



62. TA = \_\_\_\_\_ V = \_\_\_\_\_

63. Find the total area and volume of the solid generated by rotating a rectangle about a vertical line.

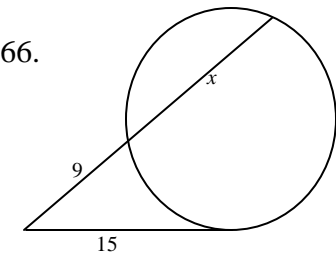
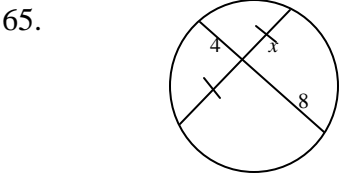


63. TA = \_\_\_\_\_ V = \_\_\_\_\_

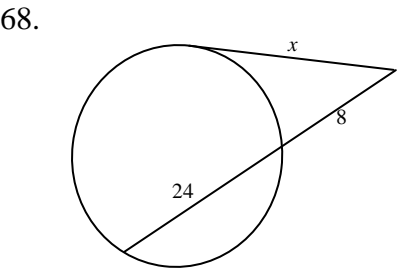
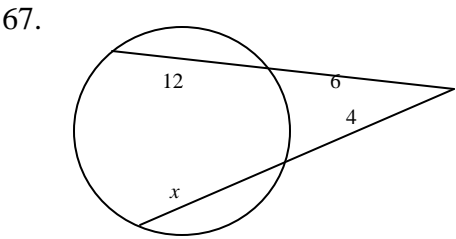
64. A rectangular solid has a height that is twice the width and a length that is three times the height. The total area of this solid is 16000 square millimeters. Find its volume.

64. \_\_\_\_\_

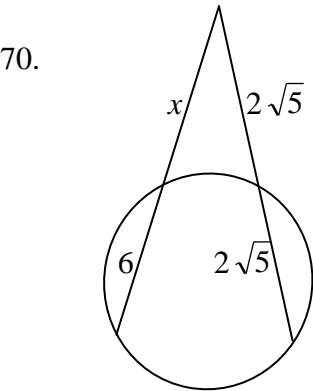
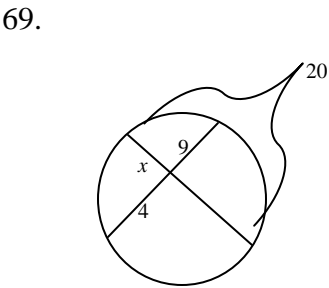
Find the missing segment.



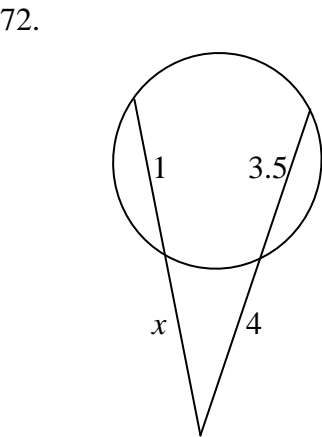
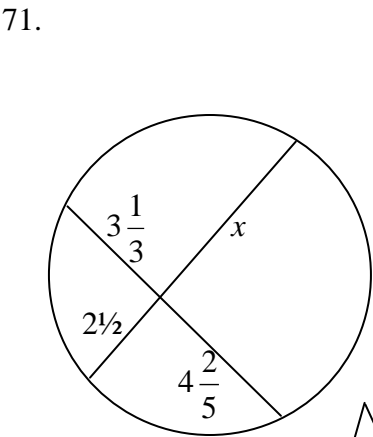
65. \_\_\_\_\_  
 66. \_\_\_\_\_



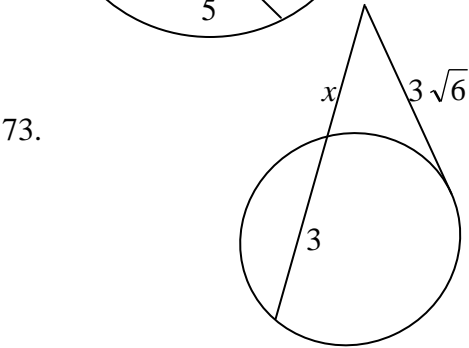
67. \_\_\_\_\_  
 68. \_\_\_\_\_



69. \_\_\_\_\_  
 70. \_\_\_\_\_



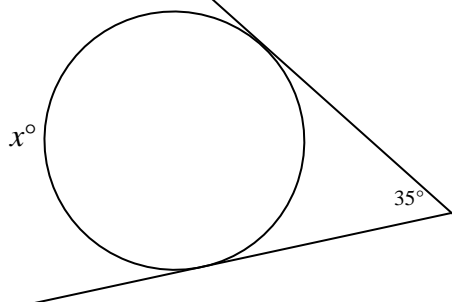
71. \_\_\_\_\_  
 72. \_\_\_\_\_



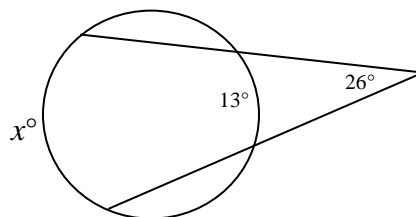
73. \_\_\_\_\_

**Find each missing angle or arc.**

74.



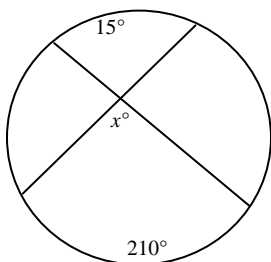
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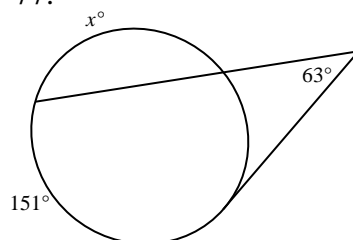
74. \_\_\_\_\_

75. \_\_\_\_\_

76.



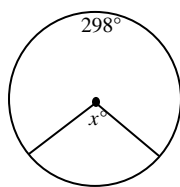
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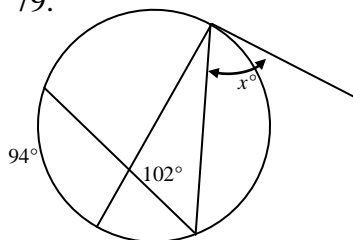
76. \_\_\_\_\_

77. \_\_\_\_\_

78.



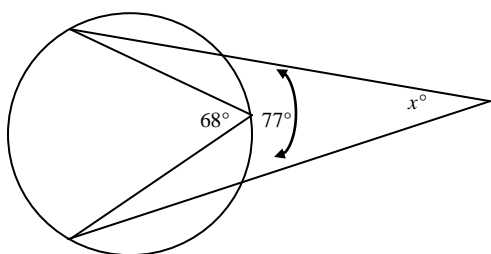
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78. \_\_\_\_\_

79. \_\_\_\_\_

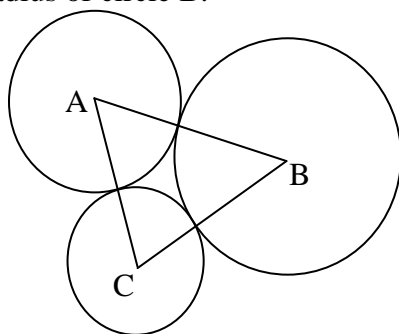
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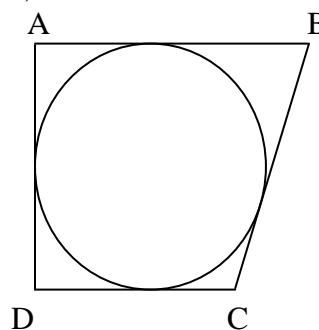
80. \_\_\_\_\_

**Solve each “walk-around” problem for the desired length.**

81. All 3 circles are tangent  $AB = 40$ ,  $BC = 35$ ,  $CA = 32$ . Find radius of circle B.



82. Consider an inscribed circle and  $AB = 24$ ,  $BC = 29$ ,  $AD = 18$ . Find CD

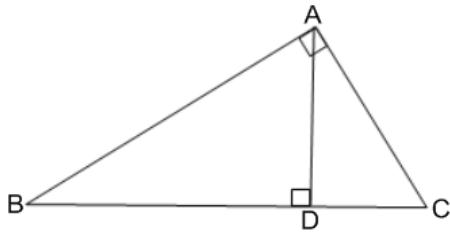


81. \_\_\_\_\_

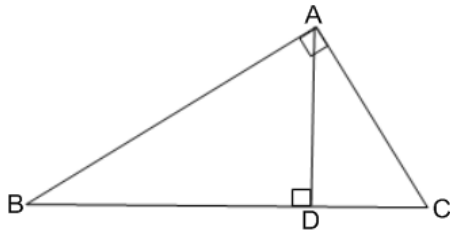
82. \_\_\_\_\_

In # 83- 85, solve for the desired length. The picture may or may not be drawn to scale.

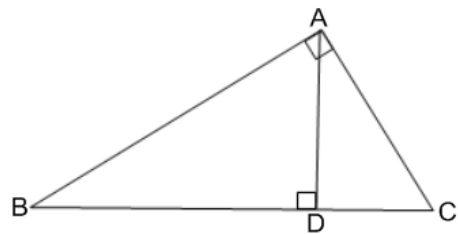
83. If  $AC = 12$ , and  $BD = 7$ , find CD. Then find AD



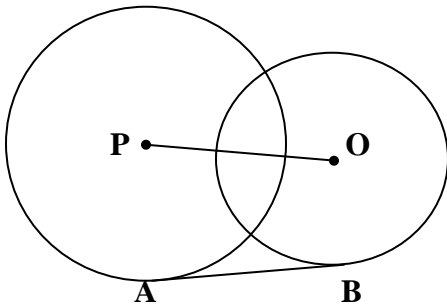
84. If  $AD = 4\sqrt{6}$  and  $AC = 20$ , find BD



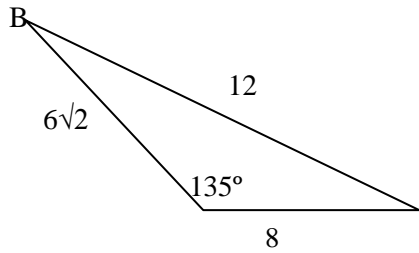
85. If  $AB = 3\sqrt{5}$  and  $DC = 12$  then find DB. Then find AC.



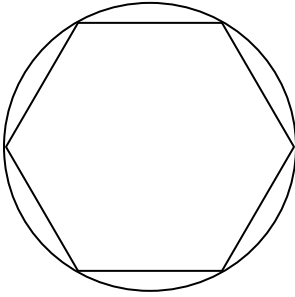
86.  $PA=13$ ,  $OP = 15$ , and  $OB = 4$ . Find AB. AB is tangent to both circles.



87. Find the length of the altitude to BC.



88. A regular hexagon has a side of 8. Find the area of a “segment” cut off by one of its sides.



89. Two similar right cylinders have total areas of  $18\pi \text{ in}^2$  and  $50\pi \text{ in}^2$ . What is the ratio of their volumes?

***FACTOR the following polynomials.***

90.  $2x^2 + 5x + 3$

91.  $2x^2 + 9x - 5$

92.  $5x^2 - 3x - 14$

93.  $4x^2 - 20x + 25$

***Solve the following systems.***

94. 
$$\begin{aligned} 2x - 7y &= 10 \\ 5x - 6y &= 2 \end{aligned}$$

95. 
$$\begin{aligned} x^2 + y^2 &= 61 \\ x - 2y &= -7 \end{aligned}$$