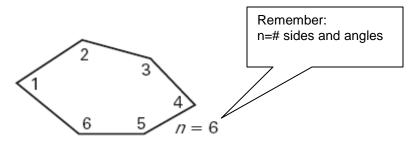
VOCABULARY	
DIAGONAL	A C D

Review:

EQUILATERAL					
EQUIANGULAR					
REGULAR					
	Number of sides	Type of polygon	Number of sides	Type of polygon	
	3	Triangle	8	Octagon	
CLASSIFYING POLYGONS	4	Quadrilateral	9	Nonagon	
	5	Pentagon	10	Decagon	
	6	Hexagon	12	Dodecagon	
	7	Heptagon	п	<i>n</i> -gon	

Polygon Interior Angle Theorem:

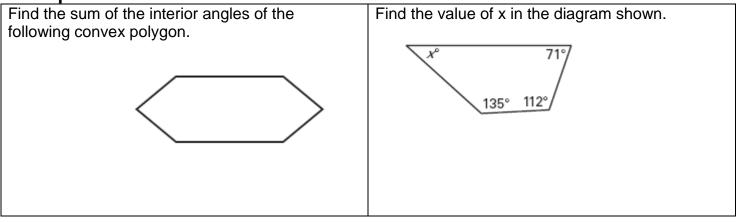
The sum of the measures of the interior angles of a convex *n*-gon is $(n - ___.)$ •_____.



Find the sum of the interior angles of the following polygons:

Polygon	Work	Interior angle sum				
Pentagon						
Nonagon						

Examples:



Find the number of sides (n) of a polygon:

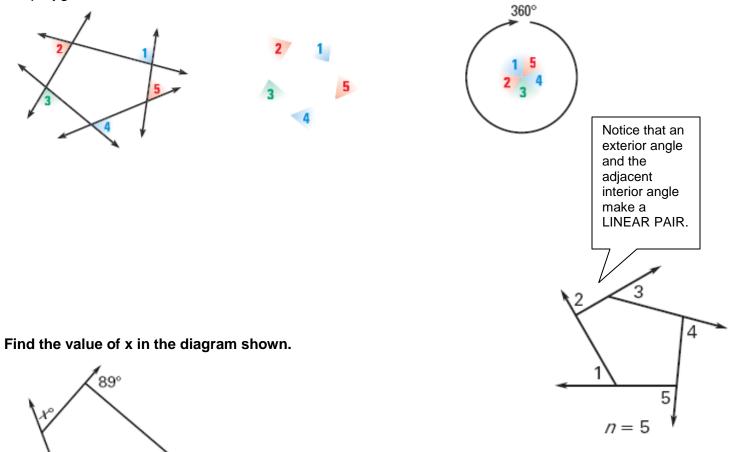
The sum of the measures of the interior angles of a convex polygon is 1800°. Classify the polygon by the number of sides.

Polygon Exterior Angle Theorem:

2x

85

Unlike the interior angle theorem, the sum of the exterior angles does *not* depend on how many sides the polygon has.



Find angle measures in **REGULAR** polygons:

To find one exterior angle of a REGULAR polygon:				

EXAMPLES:

Lamps The base of a lamp is in the shape of a regular 15-gon.

(a) Find the measure of each interior angle.	(b) Find the measure of each exterior angle.			

Remember: One interior angle and its adjacent exterior angle make a LINEAR PAIR.

If one exterior angle of a regular polygon is 36°, what is the name of the polygon?

Geometry CP Na 8.1 Review	ime
Use your polygon rules to find the following. Show	v ALL work for full credit.
 Find the sum of the measure of the <u>interior angles</u> of a convex decagon. 	2. Find the sum of the <u>exterior angles</u> of a convex decagon.
3. If the sum of the measure of the interior angles is 1080°, then classify the polygon by the number of sides.	4. Find one interior angle of a regular <u>nonagon</u> .
5. If one exterior angle of a regular polygon is 18°, then how many sides does the polygon have?	6. Find x.
7. Find the sum of the interior angles and the x.	
Sum of interior angles =	
	X =

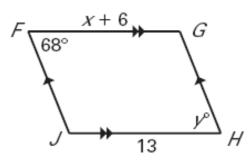
VOCABULARY	
PARALLELOGRAM	

PROPERTIES of PARALLELORAMS in addition to the definition:

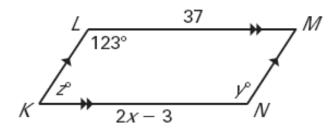
PROPERTIES OF PARALLELORAWIS IN addition to the definition:						
1.	2.					
	Λ					
3.	4.					
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3.	4.					

EXAMPLES:

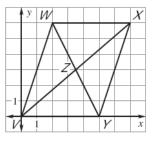
1) Find the values of x and y. Explain which property you used to find each.



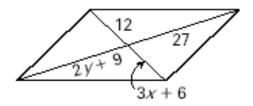
2) Find the value of x, y, and z in parallelogram LMNK. *Explain which property you used to find each.*



3) Find the coordinate for point Z.



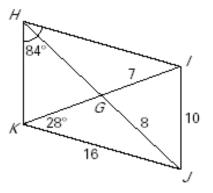
4) Find the value of x and y.



5) Find the specified measures in parallelogram HIJK.

HI = _____ KH = _____ GH = _____ HJ = _____ m∠KIH = _____

m∠JIH =_____



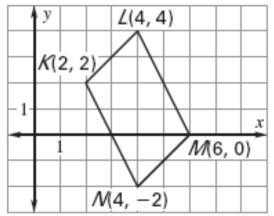
8.3 Show that a Quadrilateral is a Parallelogram

WAYS TO PROVE A QUADRILATERAL IS A PARALLELOGRAM:

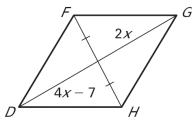
1. Show both pairs of opposite sides are	2. Show <u>both pairs</u> of opposite sides are
parallel.	congruent.
Write:	Write:
3. Show <u>both pairs</u> of opposite angles are congruent.	4. Show <u>one pair</u> of opposite sides are congruent and parallel.
Write:	Write:
5. Show the diagonals bisect each other.	
Write:	I know that we learned yesterday that one of the properties of a parallelogram is that the consecutive angles are supplementary. Remember that rule proves lines are parallel so that reason goes with #1.
	~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~

# **EXAMPLES:**

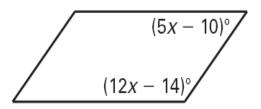
1) Show that quadrilateral *KLMN* is a parallelogram.



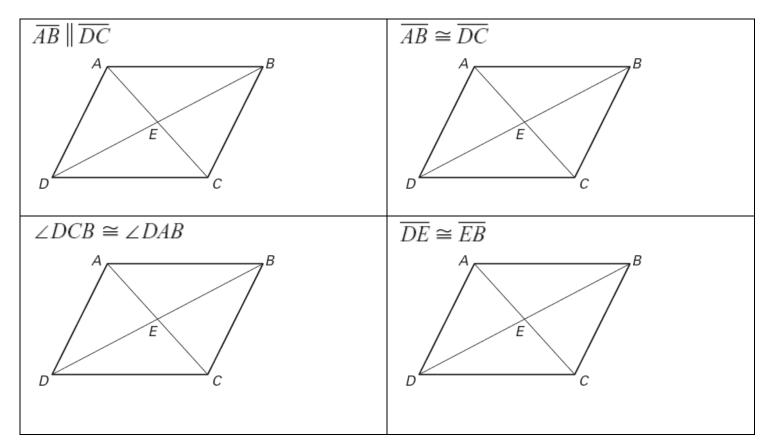
2) For what value of x is quadrilateral DFGH a parallelogram?



3) What value of *x* makes the quadrilateral a parallelogram?

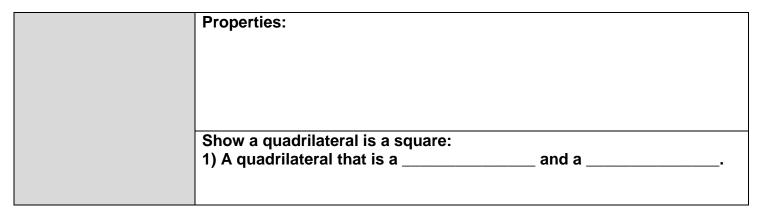


4) What additional information is needed in order to prove that quadrilateral *ABCD* is a parallelogram?

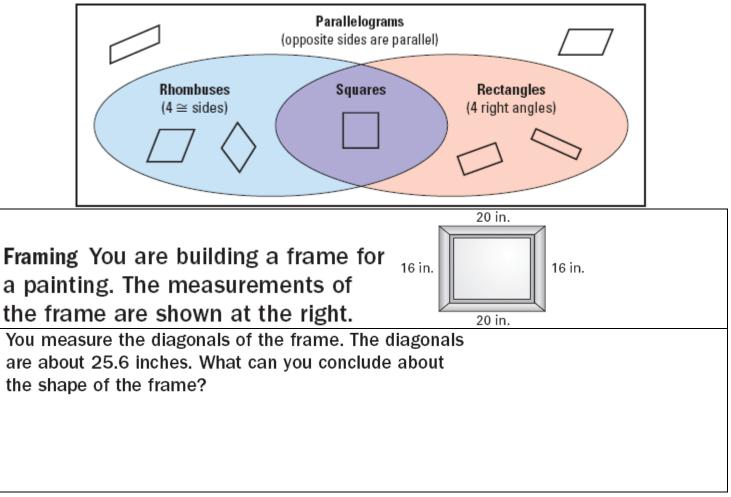


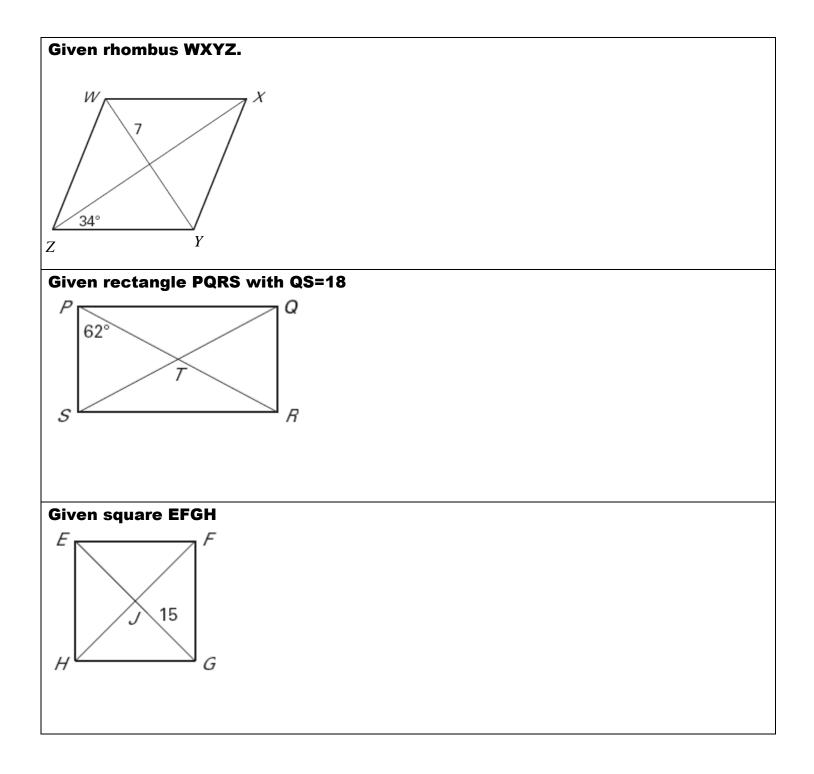
# 8.4 Properties of Rhombuses, Rectangles, and Squares

	REVIEW: Write down the 5 properties of a parallelogram.
Parallelogram	
Rhombus	Properties: $A \longrightarrow C \qquad A \longrightarrow C \qquad$
	<ul> <li>Show a quadrilateral is a rhombus:</li> <li>1) A quadrilateral with four congruent</li> <li>2) A parallelogram with diagonals.</li> <li>3) A parallelogram with each diagonal that a pair of opposite angles.</li> </ul>
Rectangle	Properties:
	Show a quadrilateral is a rectangle: 1) A quadrilateral with four 2) A parallelogram with diagonals.
Square	



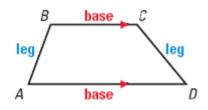
## **Relationships among parallelograms:**





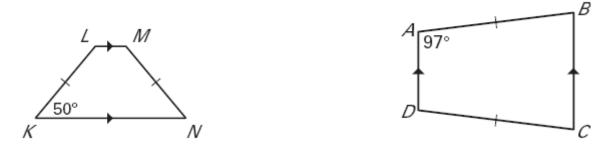
#### **8.5 Use Properties of Trapezoids and Kites**

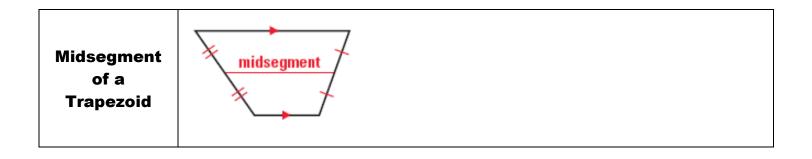
#### TRAPEZOIDS:



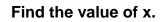
# 

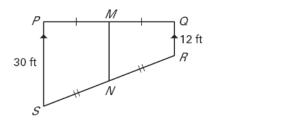
Find the missing angles in the following isosceles trapezoids.

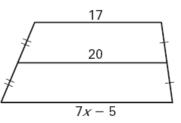




Find the length of the midsegment.

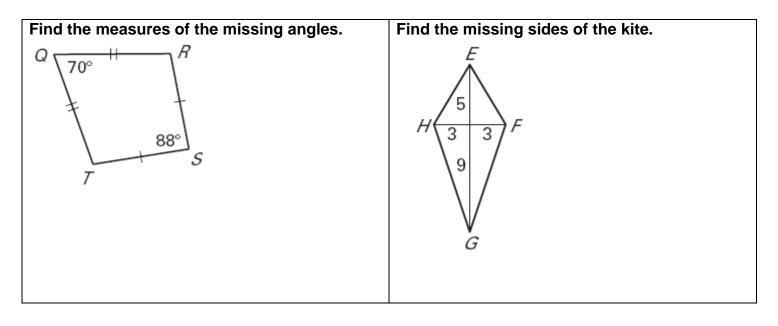




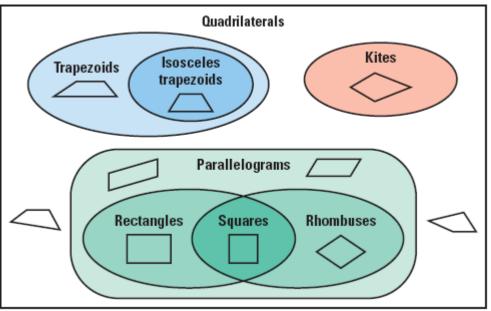


<u>KITE</u>

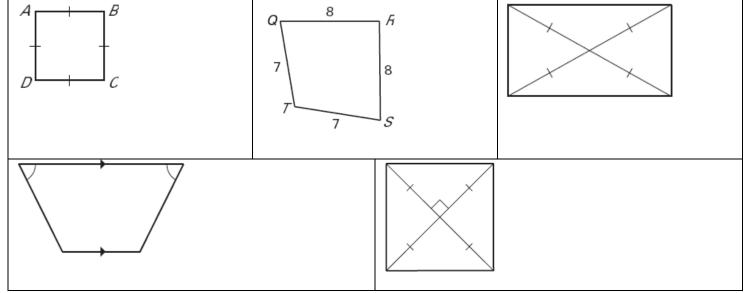
<u>KIIE</u>	
Definition	
Properties	1) Diagonals are
	2) One pair of opposite angles areA $A = \frac{A}{B + C} D$
	Do you see the congruent triangles? 3) One diagonal the other.
	4) One diagonal a pair of angles.



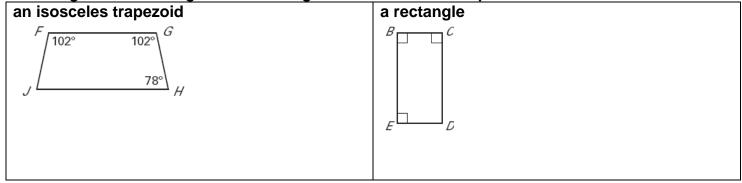
## **8.6 Identify Special Quadrilaterals**



Give the most descriptive name for the quadrilateral. (Don't base decision on looks)



Is enough information given in the diagram to show that the quadrilateral is ...



## Do #3-11 on the chart below

Property	Rectangle	Rhombus	Square	Kite	Trapezoid
All sides are ≅.			[		
Both pairs of opp. sides are $\cong$ .			[		
Both pairs of opp. sides are   .			l.		
Exactly 1 pair of opp. sides are   .					
All ∡ are ≅.			[		
Exactly 1 pair of opp. $\triangle$ are $\cong$ .					
Diagonals are ⊥.			l.		
Diagonals are ≅.			1		
Diagonals bisect each other.			[		